

FULL NAME: \_\_\_\_\_

DATE: January 6<sup>th</sup>, 2026 \_\_\_\_\_

GROUP NUMBER: \_\_\_\_\_

TIME: 2 hours

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**ACTIVITY ONE (6 points)**

- Tick (✓) the correct answer:

# The role of descriptive statistics is:

- Calculating the probability value alpha
- Calculating the effect size
- Summarizing the data of a sample (1 pts)
- Making predictions about a sample

# Which of the following variables cannot be validly analyzed using a mean?

- IELTS score
- Gender (1 pts)
- Reaction time in milliseconds
- Number of pronunciation errors

# In the dataset (21, 15, 4, 24, 7, 23, 24, 7), the median is:

- 7
- 24
- 7 and 24
- 18 (1 pts)

# If  $\sigma^2$  is 1.35, the population standard deviation is:

- 0.67
- 1.16 (1 pts)
- 1.82
- 2.70

# A Type II error occurs when a researcher:

- Rejects a true null hypothesis
- Accepts a true null hypothesis
- Rejects a false null hypothesis
- Accepts a false null hypothesis (1 pts)

# Which situation requires a non-parametric test?

- Ratio data with random sampling
- Ordinal data with non-normal distribution (1 pts)
- Interval data with homogeneous variances
- Large sample size ( $n > 100$ )

**ACTIVITY TWO (6 points)**

- Complete the table with the corresponding data type and the appropriate test for each scenario:

	Data type	Shapiro–Wilk (p)	Levene’s Test (p)	Inferential test
Students’ motivation levels (Very low → Very high) collected from three intact classes selected randomly.	Ordinal data (1 pts)	.012	.410	Kruskal–Wallis test (1 pts)
Years of English exposure are correlated with listening scores of a stratified random sample of university students.	Ratio data (1 pts)	.021	.480	Spearman’s rank-order correlation (1 pts)
Pronunciation accuracy scores collected before and after training from the same randomly selected learners.	Ratio data (1 pts)	.680	.051	Paired-samples t-test (1 pts)

### ACTIVITY THREE (8 points)

- Use the table and formula below to **calculate** and **interpret** the effect size  $d$ :

	$n$	Mean	Standard Deviation
Group 1	5	35.20	14.02
Group 2	5	37.40	12.58

Cohen's  $d$ :

$$d = \frac{\bar{x}_1 - \bar{x}_2}{SD_{Pooled}}$$

Where:

$$SD_{Pooled} = \sqrt{\frac{(n_1 - 1)SD_1^2 + (n_2 - 1)SD_2^2}{n_1 + n_2 - 2}}$$

**Report full calculations:**

Step 1: Calculate the pooled standard deviation

Square the standard deviations **(1 pts)**

$$SD1^2 = 14.02^2 = 196.56$$

$$SD2^2 = 12.58^2 = 158.26$$

Multiply by degrees of freedom **(1 pts)**

$$(5 - 1) \times 196.56 = 4 \times 196.56 = 786.24$$

$$(5 - 1) \times 158.26 = 4 \times 158.26 = 633.04$$

Sum and divide **(2 pts)**

$$= \frac{(786.24 + 633.04)}{(5 + 5 - 2)}$$

$$= \frac{1419.28}{8}$$

$$= 177.41$$

Take the square root **(1 pts)**

$$SD_{pooled} = \sqrt{177.41} \approx 13.32$$

Step 2: Calculate Cohen's  $d$  **(2 pts)**

$$d = \frac{(35.20 - 37.40)}{13.32}$$

$$d = \frac{-2.20}{13.32}$$

$$d \approx -0.17$$

**Interpretation (1 pts)**

Based on the  $d$  value, the effects size is: **Small/ Negligible**

**BEST OF LUCK!**